The Origin of Matter

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Abstract

To find the Origin of Matter, we have to go back in time. Back 300 years in time to the moment when [Isaac Newton](#) discovered the [beauty and one of the many secrets of the light](#). The moment when science walked away from light. The first question is this manuscript is: What are the fruits of our Scientific Journey during the last 300 years and do we realize that we always have a choice? That we always have the choice with our massive scientific powers to create Heaven on Earth or to create Hell on Earth. We always have the freedom of choice. But when we look at the fruits of our scientific powers it looks more like Hell on Earth than Heaven on Earth. How did we come so far?

Did we really want, with our scientific powers, to create war machines that burn women and children alive in massive merciless wars like in Syria? Did we scientists work so hard and gave our lives the last 300 years to science to accomplish these final results? War and hunger everywhere. Massive Climate Changes that are coming. Massive areas where people live, will disappear under the Oceans. Waves of massive Hunger and Thirst are coming. Deserts of refugees who do not know anymore where to go. Forests will turn into deserts. Advance software will enslave the world and kill our privacy and our freedom. Was this really our choice?

Or have we been misled? Mislead by a world we have forgotten. A world we do deny. A world that has tricked us by our own weakness and our own desires for acknowledgement and honor. Is there truth in the ancient story about the war between Light and Darkness? Was there truth in the famous words of Albert Einstein when he declared: "[God does not Play Dice](#)"?

Was there truth in [Nietzsche's](#) famous words: "God is dead. God remains dead. And we have killed him. How shall we comfort ourselves, the murderers of all murderers?"

To answer this question we have to go back in time. Back 300 years in a time where Newton declared as a scientist: "Light is beautiful". And we come to the question: "Is it possible that the universe has been built out of Light and that Light is the ground we live on and Light is the only ground we can trust. That since we have left the path of Light we have been lost in a world of darkness that leads us only further into darkness, into a world of Hate, into a world of Slavery, into a world of Evil?"

And we return to the fundamental question: “Is it possible to build matter out of Light (confined electromagnetic waves)?” To answer this question we first have to answer the question how we have come to this world of Probability Waves and Elementary Particles and Quantum Physics.

Louis de Broglie described in 1924 in his PhD thesis the wave properties of matter. Erwin Schrödinger published in 1926 the well-known Schrödinger wave equation with the characteristic spherical and elliptical wave solutions. To describe these material waves, the immediately and first explanation was: “There is only one possibility. These are “electromagnetic waves”. De Broglie waves are ” Light Waves”. Because these were the only waves, known in the world of Physics.

But there was a fundamental problem. These material waves, discovered by Louis de Broglie and mathematically described by Erwin Schrödinger could never be solutions of the well-known 4 equations of James Clerk Maxwell. The material waves were spherical and elliptical solutions and that was impossible for the solutions of the Maxwell Equations. According to the Maxwell Equations, light always travels along a straight path.

A second problem was that the model of the atom of Bohr could not hold. How could an electron be everywhere at the same time in a kind of a spherical shell surrounding the nucleus. And be a particle at the same time.

And Bohr found a compromise to declare the “De Broglie” waves to be the probability waves. Two problems were solved. Bohr’s planetary model could hold. And there was a name for the unknown material waves, discovered by Louis de Broglie and mathematically described by Erwin Schrödinger. The theory of “Probability Waves, Elementary Particles and Quantum Physics” had been created.

To find a possibility, to create matter out of light we have to go back to the Equations of James Clerk Maxwell. The only possibility to declare the probability waves, discovered by Louis de Broglie, to be electromagnetic waves, to be light, and to be the building element of our universe, is to find evidence that the Maxwell Equations are not complete and that it is possible to confine light (electromagnetic waves) in spherical and elliptical shapes. A new equation has to be found. In this article it has been claimed that this missing equation is equation (5). Because the Theory of General Relativity has been built on the Einstein-Maxwell Equation, a new equation has to be found that describes in a generalized way the interaction between light and matter. This missing equation is equation (5-a).

The first step that has to be taken to find evidence that “de Broglie Waves” (“Material Waves”, “Quantum Mechanical Probability Waves”) are “Confined Single Harmonic Electromagnetic Waves” is to find a new Electromagnetic Equation that will replace the well-known 4 Maxwell Equations. James Clerk Maxwell published in 1865 in “A Dynamical Theory of the Electromagnetic Field” the 4 well-known Maxwell Equations. To find an equation that describes in an extended way the Electromagnetic field we have to go back to the time before the Maxwell’s Equations. The Maxwell’s equations have been called the “second great unification in physics” after the “first unification in physics, realized by Isaac Newton. And that is the time we have to go back to, to discover a new equation, that unifies the electric and the magnetic field in a generalized way.

The second step that has to be taken is that Confined Electromagnetic Waves have to be presented in a complex way comparable with the quantum mechanical probability function ψ and the complex conjugate function ψ^* in which the quantum mechanical probability density $\psi \psi^*$

will be replaced by the electromagnetic mass density. This second step has been taken in an earlier publication (29) in which a complex notation for the electromagnetic field has been introduced in the equations (13), (14) and (15) on page 202, which has been published in 1995 in Physics Essays in [A Continuous model of Matter](#) (DOI: 10.13140/RG.2.2.25149.77281). (ref. 29)

In Ref (29) in equation (13) the vector function $\vec{\phi} = \vec{B} + i \vec{E} / c$ and the complex conjugate vector function $\vec{\phi}^* = \vec{B} - i \vec{E} / c$ have been introduced in which $\vec{B}$ is the magnetic induction vector, $\vec{E}$ the electric field intensity vector and c the speed of light. Equation (14) represents the dot product $\vec{\phi} \cdot \vec{\phi}^* = B^2 + E^2 / c^2 \sim w$ which is proportional to the electromagnetic energy density w and according to Einstein's equation $W = m c^2$ proportional to the electromagnetic mass density ρ . The cross product $\vec{\phi} \otimes \vec{\phi}^*$ in equation (15) is proportional to the momentum of the confined single harmonic electromagnetic radiation

The third step that has to be taken is to provide evidence that the well-known “de Broglie” waves are solutions of the “Electromagnetic Continuity Equation” for “Confined Single Harmonic Electromagnetic Waves” with one single harmonic Frequency ω_0 . And that the Quantum Mechanical Schrödinger Wave Equation is a complex notation for the Electromagnetic Continuity Equation for confined single harmonic electromagnetic waves. This evidence has been presented in Ref. (29) in equation (55) on page 208 in which the complex notation for the Electromagnetic Continuity Equation has been presented which turns out to be identical to the well known Quantum Mechanical Schrödinger Wave Equation. This has been published in 1995 in Physics Essays in [A Continuous model of Matter](#) (DOI: 10.13140/RG.2.2.25149.77281). (ref. 29)

The fourth step that has to be taken is to provide evidence that the well-known “de Broglie” waves at relativistic velocities are solutions of the “Electromagnetic Continuity Equation” for “Confined Single Harmonic Electromagnetic Waves” with one single harmonic Frequency ω_0 . And that the Quantum Mechanical Dirac Equation is a complex notation for the Electromagnetic Continuity Equation for confined single harmonic electromagnetic waves. This evidence has been presented in Ref. (29) in equation (102) on page 213 in which the complex notation for the Electromagnetic Continuity Equation has been presented which turns out to be identical to the well-known Quantum Mechanical Dirac Equation at relativistic velocities. This has been published in 1995 in Physics Essays in [A Continuous model of Matter](#) (DOI: 10.13140/RG.2.2.25149.77281). (ref. 29)

1. Introduction

The famous eclipse expedition of 1919 to Sobral, Brazil, and the island of Principe, in the Gulf of Guinea, led by Dyson, Eddington and Davidson was a turning point in the acceptance of the General Theory of Relativity developed by Albert Einstein in 1915. The correctness of this theory has been proven since then in many experiments. The success of his predictions made Einstein famous. But fame is not a ground for real science. Because what do we really know about light? When Albert Einstein published his famous Einstein Field Equations (Einstein-Maxwell equations), which were the mathematical foundation on which the Theory of General Relativity has been built, he did not built his theory on a logical fundament. Einstein built his theory on the complex 4-dimensional Minkovski Space, developed by Hermann Minkovski, the Electromagnetic Lorentz Transformations, developed by Hendrik Antoon Lorentz and the fundamental Maxwell Equations. His foundation was not logical at all but grounded on the success of those who became famous before him. But fame is never a ground for fundamental science. Einstein had a great imagination and was inspired by the imaginary 4-dimensional complex space-time continuum, suggested by his teacher Hermann Minkovski. But his foundation was not logical at all. Why would space and time be equal. We do experience space and time always very differently. When we shine the light into a room, all three spatial dimensions of the room will be enlightened and become visible. But the fourth dimension time will always remain invisible. We cannot look into the future and we cannot look back in time by the illumination of light that shines into time. There is no logical ground for the Theory of General Relativity. Since the success of the predictions of Albert Einstein, nobody ever doubted about the correctness of the theories of Albert Einstein. The success of his predictions made Einstein famous.

In this manuscript, the starting point is almost 300 years ago. Long before James Maxwell published his Maxwell equations, before Albert Einstein published the Theory of General Relativity and far before the time Niels Bohr introduced the probability waves, discovered by Erwin Schrödinger which were the nonlogical grounds on which Quantum Physics has been built.

The starting point is the moment just after Isaac Newton had published the breaking of light into the colors of the rainbow through a prism in [The Lectiones Opticae" in 1728](#). Newton just had discovered the beauty of light when light had revealed one of its many secrets. And he could only express: "Light is beautiful".

When we return back to the world of light, we simply have to ask one question to the light. How is it possible that the light in our world does exist? And we simply follow Newtons third law of equilibrium published in the "[Principia Mathematica Philisophiae Naturalis](#)" in 1686.

When we return back to the world of light, we simply have to ask one question to the light. How is it possible that the light in our world does exist? And we simply follow Newtons third law of equilibrium published in the "[Principia Mathematica Philisophiae Naturalis](#)" in 1686.

This single fundamental only question has been asked: What are the fundamental boundaries which are required for a stable electromagnetic field configuration in which light can exist? And instead of taking the 4 well-known electromagnetic low frequency equations and put them together and find exactly the same results as James Maxwell has found, a different path has been chosen. There is only one boundary condition. **"The electromagnetic field has to be in a perfect equilibrium (balance) with itself and its surrounding."** And when an electromagnetic field interacts with a gravitational field, **exactly the same boundary condition is required.** That

is the single and only requirement. From this single requirement follows one single equation. Equation (5) (gravity excluded) and equation (5-a) (gravity included) in this manuscript.

All the solutions for electromagnetic configurations that are solutions of the Maxwell Equations are also solutions of Equation (5). But because of the special mathematical structure of (5) and (5-a) other electromagnetic field configurations are possible. And this will have an impact on our understanding of the universe, on our understanding of light. Because we cannot understand the universe until we understand light.

[John Archibald Wheeler](#)⁽¹⁾ introduced in 1953 the concept of [GEONS](#) (Gravitational ElectrO-magnetic eNtities) in which electromagnetic radiation has been confined by its own gravitational field. To calculate the dimensions of these gravitational-electromagnetic confinements J. Wheeler based his calculations on the Einstein-Maxwell equations, the mathematical ground on which the Theory of General Relativity has been built and found electromagnetic-gravitational confinements with a diameter of several lightyears and a lifetime of several milliseconds. The results were very disappointing because an elementary particle with a diameter of several lightyears and a lifetime of a few milliseconds can hardly be considered as an elementary particle.

In the presented theory the electromagnetic-gravitational interaction has been grounded on Newton's third law. It has been grounded on the stability of electromagnetic-gravitational fields in a perfect equilibrium with itself and its surrounding. In table 1, electromagnetic-gravitational confinements have been presented for any harmonic (sinusoidal) frequency with an infinite lifetime and diameters varying from $<10^{-40}$ and $>10^{+40}$ [m] based on equation 5-a in a spherical coordinate system.

Because this fundamental approach in electromagnetic field configurations is different than the classical approach by J. Maxwell and A. Einstein, a different result is expected. Instead of electromagnetic-gravitational confinements with a diameter of several lightyears and a lifetime of several milliseconds, presented by J. Wheeler in 1953, electromagnetic-gravitational confinements have been presented in Table 1 with diameters varying from $<10^{-40}$ [m] and $>10^{+40}$ [m] and an infinite lifetime for any harmonic frequency based on equation (5-a).

2. Newton's Third law generalized for Electromagnetic Radiation

In a way comparable to the way that GEONS (Gravitational Electromagnetic entities) are described by J. Wheeler in General Relativity by the Gravitational-Electromagnetic Equilibrium Equation ^(1,7,8,13,35,38) (the Einstein-Maxwell Equations), Electromagnetic Confinements are described by the Dynamic Equilibrium Equation (5).

The Maxwell tensor⁽⁹⁾ equals:

$$T^{ab} = \frac{1}{\mu_0} \left[F_{ac} F^{cb} + \frac{1}{4} \delta_{ab} F_{cd} F^{cd} \right] \quad (1)$$

In which F_{ab} are the elements of the Maxwell tensor defined by:

$$F_{ab} = \partial_b \phi_a - \partial_a \phi_b \quad (2)$$

The four-vector potential ϕ_a is defined by: $\phi_a = i \phi / c, \vec{A}$ where ϕ is the electric scalar potential, c the speed of light in vacuum and $\vec{A}$ is the magnetic vector potential^(1,2,3). Substituting (2) in (1) results in the [Energy Momentum Tensor](#)^(1,16,29) :

$$T^{ab} = \begin{bmatrix} w & -\frac{i}{c} S_x & -\frac{i}{c} S_y & -\frac{i}{c} S_z \\ -\frac{i}{c} S_x & \epsilon_0 (E_x)^2 + \mu_0 (H_x)^2 - w & \epsilon_0 E_x E_y + \mu_0 H_x H_y & \epsilon_0 E_x E_z + \mu_0 H_x H_z \\ -\frac{i}{c} S_y & \epsilon_0 E_y E_x + \mu_0 H_y H_x & \epsilon_0 (E_y)^2 + \mu_0 (H_y)^2 - w & \epsilon_0 E_y E_z + \mu_0 H_y H_z \\ -\frac{i}{c} S_z & \epsilon_0 E_z E_x + \mu_0 H_z H_x & \epsilon_0 E_z E_y + \mu_0 H_z H_y & \epsilon_0 (E_z)^2 + \mu_0 (H_z)^2 - w \end{bmatrix} \quad (3)$$

The force density f^a in the 3 directions of the 3 coordinates of the chosen 3-coordinate system follows from the divergence of the electromagnetic energy-momentum^(8,9,38) tensor (3). Equation (4) gives the 3-dimensional force density f^a is a coordinate-free vector equation:

$$-\frac{1}{c^2} \frac{\partial (\vec{E} \times \vec{H})}{\partial t} + \epsilon_0 \vec{E} (\nabla \cdot \vec{E}) - \epsilon_0 \vec{E} \times (\nabla \times \vec{E}) + \mu_0 \vec{H} (\nabla \cdot \vec{H}) - \mu_0 \vec{H} \times (\nabla \times \vec{H}) = \vec{f} \quad (4)$$

It has been assumed within the scope of this article that for any physical possible electromagnetic configuration (free radiation or confinement) it is the only required and sufficient boundary condition that the force densities in the 3 dimensions of the chosen coordinate system equal zero at any space at any time.

An electromagnetic field which is in a perfect equilibrium with itself and its surrounding at any space and time, fulfills the necessary requirements for the physical possibility of the existence of this field. Under that condition equation (4) transforms into the Dynamic Equilibrium Equation (5), which expresses the force density equals the vector zero of an electromagnetic field on itself and its surrounding in a perfect equilibrium. The part of the Dynamic Equilibrium Equation^(7,8,9,20). (DEE) (5), representing the equilibrium for the force densities in the 3 directions of the chosen coordinate system equals: The resulting REM equation equals:

$$-\frac{1}{c^2} \frac{\partial (\vec{E} \times \vec{H})}{\partial t} + \epsilon_0 \vec{E} (\nabla \cdot \vec{E}) - \epsilon_0 \vec{E} \times (\nabla \times \vec{E}) + \mu_0 \vec{H} (\nabla \cdot \vec{H}) - \mu_0 \vec{H} \times (\nabla \times \vec{H}) = \vec{0} \quad (5)$$

The RGEM equation within a gravitational field $\vec{g}$ equals:

$$\begin{aligned} & -\frac{1}{c^2} \frac{\partial (\vec{E} \times \vec{H})}{\partial t} + \epsilon_0 \vec{E} (\nabla \cdot \vec{E}) - \epsilon_0 \vec{E} \times (\nabla \times \vec{E}) + \mu_0 \vec{H} (\nabla \cdot \vec{H}) - \mu_0 \vec{H} \times (\nabla \times \vec{H}) \\ & - \frac{1}{2} \epsilon_0^2 \mu_0 (\vec{E} \cdot \vec{E}) \vec{g} - \frac{1}{2} \epsilon_0 \mu_0^2 (\vec{H} \cdot \vec{H}) \vec{g} = \vec{0} \end{aligned} \quad (5-a)$$

3. 1 EM Radiation within a Cartesian Coordinate System in the absence of gravity

The required Electromagnetic Field Configuration for a perfect Equilibrium in Space and Time follows from the dynamic equilibrium equation (5) and equals in Cartesian Coordinates $\{x, y, z, t\}$ for the Electric Field Components $e(x, y, z, t)$:

$$\begin{pmatrix} e_x \\ e_y \\ e_z \end{pmatrix} = \begin{pmatrix} f(x, y) g \left(t - \left(\frac{K_1}{z} + 1 \right) z \sqrt{\epsilon_0 \mu_0} \right) \\ 0 \\ 0 \end{pmatrix} \quad (6)$$

The required Electromagnetic Field Configuration for a perfect Equilibrium in Space and Time follows from the dynamic equilibrium equation (5) and equals in Cartesian Coordinates $\{x, y, z, t\}$ for the Magnetic Field Components $m(x, y, z, t)$:

$$\begin{pmatrix} m_x \\ m_y \\ m_z \end{pmatrix} = \sqrt{\frac{\epsilon_0}{\mu_0}} \begin{pmatrix} 0 \\ f(x, y) g \left(t - \left(\frac{K_1}{z} + 1 \right) z \sqrt{\epsilon_0 \mu_0} \right) \\ 0 \end{pmatrix} \quad (7)$$

In which K_1 is an arbitrary constant. For the divergence-free function $f(x, y) = 1$, the solutions (6) and (7) are also the solutions for the known Maxwell Equations. For the non-divergence-free functions $f(x, y)$, the solutions (6) and (7) are not solutions for the Maxwell Equations, which requires divergence-free electromagnetic waves, propagating with the speed of light $c = 1/\sqrt{\epsilon_0 \mu_0}$, in the absence of any matter. But they are solutions of the [Dynamic Equilibrium Equation \(5\)](#) and clearly do exist in physics. Comparable with the projection of a slide with a beamer on a flat screen in the z-direction. In which the slide has an arbitrary intensity-division $f(x, y)$. The information $f(x, y)$ on the slide propagates with the speed of light $c = 1/\sqrt{\epsilon_0 \mu_0}$ towards the screen in the z-direction in this example.

3. 2 EM Radiation within a Cartesian Coordinate System under the influence of a Longitudinal Gravitational Field g

The required Electromagnetic Field Configuration for a perfect Equilibrium in Space and Time for a Longitudinal Gravitational Field (The Light propagates in the same z-direction as the z-direction of the Gravitational Field) follows from the Dynamic Equilibrium Equation (5-a) and equals in Cartesian Coordinates $\{x, y, z, t\}$ for a gravitational field “g” for the Electric Field Components $e(x, y, z, t)$:

$$\begin{pmatrix} e_x \\ e_y \\ e_z \end{pmatrix} = \begin{pmatrix} e^{-\frac{1}{2} g \epsilon_0 \mu_0 z} f(x, y) g \left(t - z\sqrt{\epsilon_0 \mu_0} \right) \\ 0 \\ 0 \end{pmatrix} \quad (6-a)$$

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$$\begin{pmatrix} m_x \\ m_y \\ m_z \end{pmatrix} = \sqrt{\frac{\epsilon_0}{\mu_0}} \begin{pmatrix} 0 \\ e^{-\frac{1}{2} g \epsilon_0 \mu_0 z} f(x, y) g \left(t - z\sqrt{\epsilon_0 \mu_0} \right) \\ 0 \end{pmatrix} \quad (7-a)$$

Equation (6-a) and (7-a) are solutions of [\(5-a\)](#) under the influence of a Longitudinal Gravitational field with field intensity “g” that acts along the z-direction while the electromagnetic wave is also propagating in the z-direction. The electromagnetic wave is propagating with the unaltered speed of light $c = 1/\sqrt{\epsilon_0 \mu_0}$, independently of the strength g of the gravitational field in the z-direction. However, the amplitude of the electromagnetic wave becomes dependently of the gravitational

intensity “g” and the distance “z” and changes along the z-axis with the electromagnetic-gravitational interaction term $e^{-\frac{1}{2} g \varepsilon_0 \mu_0 z}$.

In this example is chosen for e.g. a laser beam positioned vertically on the ground on earth , shining vertically against the gravitational field “g” of the earth. Because the laser beam presents electromagnetic energy, the beam has electromagnetic mass. The potential energy of the electromagnetic mass is increasing while the laser light is propagating upwards, against the direction of the gravitational field. Because of the law of conservation of Energy, the electromagnetic energy is decreasing over a distance “z” proportional with the same amount $e^{-\frac{1}{2} g \varepsilon_0 \mu_0 z}$ as the potential energy of the electromagnetic mass is increasing.

4. Electromagnetic Radiation within a Spherical Coordinate System

The Spherical Coordinate System $\{r, \theta, \varphi, t\}$ is parameterized by the radius r of the Sphere, the polar angle θ and the azimuthal angle φ and the time t.

The required Electromagnetic Field Configuration for a perfect Equilibrium in Space and Time follows from equation (5) and equals in Spherical Coordinates $\{r, \theta, \varphi, t\}$ for the Electric Field Components $e(\theta, r, \varphi, t)$:

$$\begin{pmatrix} e_r \\ e_\theta \\ e_\varphi \end{pmatrix} = \begin{pmatrix} 0 \\ \frac{1}{r} f(\theta, \varphi) g \left(t - \left(\frac{K_1}{r} + 1 \right) r \sqrt{\varepsilon_0 \mu_0} \right) \\ 0 \end{pmatrix} \quad (8)$$

The required Electromagnetic Field Configuration for a perfect Equilibrium in Space and Time follows from equation (4) and equals in Spherical Coordinates $\{r, \theta, \varphi, t\}$ for the Magnetic Field Components $m(\theta, r, \varphi, t)$:

$$\begin{pmatrix} m_r \\ m_\theta \\ m_\varphi \end{pmatrix} = \sqrt{\frac{\varepsilon_0}{\mu_0}} \begin{pmatrix} 0 \\ 0 \\ \frac{1}{r} f(\theta, \varphi) g \left(t - \left(\frac{K_1}{r} + 1 \right) r \sqrt{\varepsilon_0 \mu_0} \right) \end{pmatrix} \quad (9)$$

For the divergence-free function $f(\theta, \varphi) = 1$, the solutions (8) and (9) are also the solutions for the known Maxwell Equations. For the non-divergence-free functions $f(\theta, \varphi)$, the solutions (8) and (9) are no solutions for the Maxwell Equations, which require divergence-free electromagnetic waves in the absence of any matter.^(29,35,36,37,38) They are however solutions of the [DEE \(5\)](#) and clearly they do exist in physics. Like the radiation of an inhomogeneous point light source like a LED.

5. Confined Electromagnetic Radiation within a Spherical Coordinate System through Electromagnetic-Gravitational Interaction.

In physics it has been generally assumed that the speed of light $c = 1/\sqrt{\epsilon_0 \mu_0}$ is a physical constant. In this paragraph the possibilities will be discussed of a variable speed of light^(10,11,12) that can vary from zero until values higher than c . The only requirement for the existence of an Electromagnetic Field Configuration will be the requirement of a perfect equilibrium in space-time for the chosen electromagnetic field configuration^(13,14,15). This single unique requirement will always be a solution of the DEE (5).

The required Electromagnetic Field Configuration for a perfect Equilibrium in Space and Time^(16,17,18,30,31,39) in respectively the θ -direction ($f_\theta = 0$) and the φ -direction: ($f_\varphi = 0$) follows from equation (5). In Spherical Coordinates $\{r, \theta, \varphi, t\}$ the solution for the [DEE \(5\)](#) for the Electric Field Components $e(\theta, r, \varphi, t)$ equals:

$$\begin{pmatrix} e_r \\ e_\theta \\ e_\varphi \end{pmatrix} = \begin{pmatrix} 0 \\ f(r)g(\theta)h(\varphi)\sin(\omega t) \\ -f(r)g(\theta)h(\varphi)\cos(\omega t) \end{pmatrix} \quad (10)$$

In Spherical Coordinates $\{r, \theta, \varphi, t\}$ the solution for the DEE (5) for the Magnetic Field Components $m(\theta, r, \varphi, t)$ in respectively the θ -direction ($f_\theta = 0$) and the φ -direction: ($f_\varphi = 0$) for the magnetic field components follows from equation (5)^(29,30,31) and equals:

$$\begin{pmatrix} m_r \\ m_\theta \\ m_\varphi \end{pmatrix} = \begin{pmatrix} 0 \\ f(r)g(\theta)h(\varphi)\cos(\omega t) \\ f(r)g(\theta)h(\varphi)\sin(\omega t) \end{pmatrix} \quad (11)$$

Equation (4) gives the 3-dimensional force density f^a of an Electro-Magnetic Field Configuration^(19,20,21) in a coordinate free vector equation. It follows from equation (4) that the radiation pressure in radial direction does not counterbalance and does not equal zero.

$$\begin{pmatrix} f_r \\ f_\theta \\ f_\varphi \end{pmatrix} = \begin{pmatrix} \frac{2}{r} \varepsilon_0 g(\theta)^2 h(\varphi)^2 f(r) \left(f(r) + r \frac{d f(r)}{d r} \right) \\ 0 \\ 0 \end{pmatrix} \quad (12)$$

The energy-density w_m of the Electromagnetic Configuration is essential for the calculation of the inward bounded gravitational pressure. The electromagnetic field configuration (10) and (11) for the functions $g(\theta) = 1$ and $h(\varphi) = 1$, results into the electromagnetic energy-density w_{em} :

$$\begin{pmatrix} e_r \\ e_\theta \\ e_\varphi \end{pmatrix} = \begin{pmatrix} 0 \\ f(r) \sin(\omega t) \\ -f(r) \cos(\omega t) \end{pmatrix} \quad \begin{pmatrix} m_r \\ m_\theta \\ m_\varphi \end{pmatrix} = \begin{pmatrix} 0 \\ f(r) \cos(\omega t) \\ f(r) \sin(\omega t) \end{pmatrix} \quad (13)$$

$$w_{em} = \left(\frac{\mu_0}{2} (\vec{m} \cdot \vec{m}) + \frac{\varepsilon_0}{2} (\vec{e} \cdot \vec{e}) \right) = \varepsilon_0 f(r)^2$$

According to Einstein's mass-energy equivalent $W = m c^2$, the specific electromagnetic mass^(22,23,24,29) density ρ_{em} equals:

$$\rho_{em} = \frac{1}{c^2} \left(\frac{\mu_0}{2} (\vec{m} \cdot \vec{m}) + \frac{\varepsilon_0}{2} (\vec{e} \cdot \vec{e}) \right) = \varepsilon_0^2 \mu_0 f(r)^2 \quad (14)$$

The total electromagnetic mass^(25,6,27,29,38) M_{em} within a sphere with radius R equals:

$$M_{em} = 4 \pi \varepsilon_0^2 \mu_0 \int_0^R r^2 f(r)^2 dr \quad (15)$$

At a distance r from the center of the sphere, the total electromagnetic mass M_{em} within the sphere^(25,26,27,30) causes, according Newton's Shell Theorem^(28,29,30), a gravitational field strength g_{em} :

$$g_{em} = \frac{4}{r^2} \pi \varepsilon_0^2 \mu_0 G_1 \int_0^R r^2 f(r)^2 dr \quad (16)$$

In which G_1 is the gravitational constant and equals $G_1=6.67408 \cdot 10^{-11} \text{ [m}^3 \text{ kg}^{-1} \text{ s}^{-2}\text{]}$. The gravitational inwards bounded radiation pressure^(29,31,32,33) follows from (16):

$$f_{GRAV} = \rho_{em} g_{em} = \frac{4}{r^2} \pi \varepsilon_0^4 \mu_0^2 G_1 f(r)^2 \int_0^R r^2 f(r)^2 dr \quad (17)$$

When there is a perfect equilibrium between the outwards bounded electromagnetic radiation pressure f_{RAD} and the inward bounded gravitational pressure^(29,34,35,38,39) f_{GRAV} we find from (12) and (17) the radius of the boundary sphere of the enclosed radiation $R_{BOUNDARY}$ for the functions $g(\theta) = 1$ and $h(\varphi) = 1$,

$$f_{RAD} = \frac{2}{r} \varepsilon_0 f(r) \left(f(r) + r \frac{df(r)}{dr} \right) = \frac{4}{r^2} \pi \varepsilon_0^4 \mu_0^2 G_1 f(r)^2 \int_0^{R-BOUNDARY} r^2 f(r)^2 dr = f_{GRAV} \quad (18)$$

In the following example we choose for the function $f(r)$

$$f(r) = K_1 r^n \quad (19)$$

Substituting (19) in (18) results in the equation for $R_{BOUNDARY}$:

$$\frac{8.019056 \times 10^{-94} K_1^6 R_{BOUNDARY}^{1+6n}}{3+2n} = 1.7708376 \times 10^{-11} K_1^2 (1+n) R_{BOUNDARY}^{-1+2n} \quad (20)$$

6. The fundamental conflict between Causality and Probability

The beginning of the conflict between Causality and Probability in Physics started at the historic invitation-only “Conseil Solvay” in 1911. Since that conference Albert Einstein has always defended the fundamental concept of Causality and the logical grounds for Causality and Effect while Niels Bohr has always defended the fundamental concept of Probability in which there is no relationship between Causality and Effect. The most fundamental and famous conference was the October 1927 “Fifth Solvay International Conference on Electrons and Photons” where the newly formulated Quantum Theory, based on Probability, had been accepted. Since then Quantum Physics has grown in power and has always been grounded on the material waves, for the first time mathematically described by Erwin Schrödinger and designated to be probability waves.

In Ref. (29) page 206 the “law of continuity” for electromagnetic radiation has been presented in equation (42), By presenting the electromagnetic field in a complex configuration in equation (48) on page 207, the electromagnetic continuity equation (42) has been presented as the quantum mechanical Schrödinger wave equation (53) on page 207. However the function ψ in (53) does

not represent the quantum mechanical probability function but represents the confined electromagnetic field with harmonic frequency ω_0 in which the magnetic part has been presented as the real function $\vec{B}/\mu$ and the electric part has been presented as the imaginary function $i \vec{E}/c$. With “i” the imaginary number $\sqrt{-1}$. However as well as the electric part as the magnetic part of the confined electromagnetic field are both real.

In Ref. (29) on page 208 the “law of continuity” for electromagnetic radiation has been presented in equation (57). The vector function $\vec{\phi}$ represents the confined electromagnetic field with harmonic frequency ω_0 in which the magnetic part has been presented as the real vector function $\vec{B}/\mu$ and the electric part has been presented as the imaginary vector function $i \vec{E}/c$. By substituting the complex vector function $\vec{\phi}$ in (57) and using the relativistic Lorentz transformations, the quantum mechanical relativistic Dirac equation has been derived in equation (102) on page 213. This has been published in 1995 in Physics Essays in [A Continuous model of Matter](#) (DOI: 10.13140/RG.2.2.25149.77281). (ref. 29).

This fundamental conflict is still going on and in this article mathematical results are presented in Table 1 in which the famous De Broglie waves, the material waves, designated as probability waves are electromagnetic waves with one harmonic frequency ω , confined by electromagnetic-gravitational interaction. Electromagnetic waves fully grounded on Causality and Effect.

Table 1 below presents several values for the calculated Equilibrium Radius $R_{BOUNDARY}$ (2) at different values K_1 and n in Equation (18), (19) and (20) for the harmonic Electromagnetic-Gravitationally confined Electromagnetic waves with frequency ω_0 :

[Table 1:](#)

Values for n	Values for K_1	$R_{BOUNDARY}$ [m]	Frequency ω_0	Area
-10	1	0.000724227	2.6×10^{12}	Electromagnetic Particle (Electromagnetically Controlled)
-4	1	$5.5940239 \times 10^{-10}$	3.37×10^{18}	
-2	1	$6.7798267 \times 10^{-28}$	2.78×10^{36}	
-2	2	$1.3559653 \times 10^{-27}$	1.39×10^{36}	
-2	10^{18}	$6.7798267 \times 10^{-10}$	2.78×10^{18}	
-1.6	1	$3.0622921 \times 10^{-45}$	6.15×10^{53}	
-1.51	1	$4.7888625 \times 10^{-52}$	3.94×10^{60}	
-1.51	10^{18}	$9.4264902 \times 10^{-17}$	2.0×10^{25}	
-1	1	infinite		Solution of (5)
-0.9	1	$1.2126075 \times 10^{267}$	1.55×10^{-258}	Electromagnetic Black Hole (Gravitationally Controlled)
-0.5	1	2.1755186×10^{54}	8.66×10^{-46}	
-0.5	10^{18}	2.1755186×10^{18}	8.66×10^{-10}	
-0.5	10^{36}	$2.1755186 \times 10^{-18}$	8.66×10^{26}	

7. Confined Electromagnetic Radiation within a Toroidal Coordinate System

The Toroidal Coordinate System $\{\theta, r, \varphi, R, t\}$ is parameterized by the large radius R of the Torus. The Toroidal Coordinate System is obtained by rotating bipolar coordinates $\{r, \varphi\}$ around an axis perpendicular to the axis connecting the two foci. The coordinate $\{\theta\}$ specifies the angle of rotation.

The Torus in the figure below has been constructed with a Radius $R = 3$ and $r = 1$.

The required Electromagnetic Field Configuration for a perfect Equilibrium in Space and Time equals in Toroidal Coordinates $\{\theta, r, \varphi, t\}$ for [the Electric Field Components \$e\(\theta, r, \varphi, t\)\$](#) :

$$\begin{aligned}
 & \begin{pmatrix} e_\theta \\ e_r \\ e_\varphi \end{pmatrix} = \left[\begin{aligned} & (0) \\ & \left(\frac{1}{\sqrt{2}} \text{Csch}(r) (\text{Cosh}(r) - \text{Cos}(\theta))^{3/2} \sqrt{K1 - f_{13}(\theta, r, \varphi, t)^2} \right) \\ & \sqrt{h(\theta) - 2\text{Cot}(\theta) \text{Tan}^{-1} \left(\text{Tan} \left(\frac{\theta}{2} \right) \text{Coth} \left(\frac{r}{2} \right) \right) + r} \end{aligned} \right] \quad (21) \\
 & \left[\begin{aligned} & \left(\text{Csch}(r) (\cosh(r) - \cos(\theta)) f_{13}(\theta, r, \varphi, t) \right) \\ & \sqrt{-K2 + \frac{1}{2} \text{Cos}(\theta) \left(h(\theta) - 2\text{Cot}(\theta) \text{Tan}^{-1} \left(\text{Tan} \left(\frac{\theta}{2} \right) \text{Coth} \left(\frac{r}{2} \right) \right) + r \right) + h(\theta)} \\ & -\frac{1}{2} \text{Cosh}(r) \left(h(\theta) - 2\text{Cot}(\theta) \text{Tan}^{-1} \left(\tan \left(\frac{\theta}{2} \right) \coth \left(\frac{r}{2} \right) \right) + r \right) + \text{Sinh}(r) \end{aligned} \right]
 \end{aligned}$$

The required Electromagnetic Field Configuration for a perfect Equilibrium in Space and Time equals in Toroidal Coordinates $\{\theta, r, \varphi, t\}$ for [the Magnetic Field Components \$m\(\theta, r, \varphi, t\)\$](#) :

$$\begin{pmatrix} m_\theta \\ m_r \\ m_\varphi \end{pmatrix} = \sqrt{\frac{\varepsilon_0}{\mu_0}} \begin{pmatrix} (0) \\ \left(\frac{-1}{\sqrt{2}} \text{Csch}(r) (\text{Cosh}(r) - \text{Cos}(\theta))^{3/2} f_{13}(\theta, r, \varphi, t) \right) \\ \left(\sqrt{h(\theta) - 2\text{Cot}(\theta) \text{Tan}^{-1} \left(\text{Tan} \left(\frac{\theta}{2} \right) \text{Coth} \left(\frac{r}{2} \right) \right) + r} \right) \\ \left(\begin{aligned} &\text{Csch}(r) (\cosh(r) - \cos(\theta)) \sqrt{K1 - f_{13}(\theta, r, \varphi, t)^2} \\ &\sqrt{-K2 + \frac{1}{2} \text{Cos}(\theta) \left(h(\theta) - 2\text{Cot}(\theta) \text{Tan}^{-1} \left(\text{Tan} \left(\frac{\theta}{2} \right) \text{Coth} \left(\frac{r}{2} \right) \right) + r \right) + h(\theta)} \\ &-\frac{1}{2} \text{Cosh}(r) \left(h(\theta) - 2\text{Cot}(\theta) \text{Tan}^{-1} \left(\tan \left(\frac{\theta}{2} \right) \coth \left(\frac{r}{2} \right) \right) + r \right) + \text{Sinh}(r) \end{aligned} \right) \end{pmatrix} \quad (22)$$

6. Confined Electromagnetic Radiation within a Toroidal Coordinate System through Electromagnetic-Gravitational Interaction in a non-linear Space-Time Continuum

The required Electromagnetic Field Configuration for a Gravitational-Electromagnetic Equilibrium in Space and Time equals in Toroidal Coordinates $\{\theta, r, \varphi, t\}$ for the Electric Field Components $e(\theta, r, \varphi, t)$:

$$\begin{pmatrix} e_\theta \\ e_r \\ e_\varphi \end{pmatrix} = \begin{bmatrix} (0) \\ \left(\text{Csch}(r) f_1(\theta, r) (\text{Cosh}(r) - \text{Cos}(\theta))^{3/2} \sqrt{K_1 - f_{13}(\theta, r, \varphi, t)^2} \right) \\ \left(\frac{\text{Csch}(r) (\text{Cosh}(r) - \text{Cos}(\theta)) f_{13}(\theta, r, \varphi, t)}{\sqrt{\text{Cos}(\theta) f_1(\theta, r)^2 - \text{Cosh}(r) f_1(\theta, r)^2 - g(r)}} \right) \end{bmatrix} \quad (23)$$

The required Electromagnetic Field Configuration for a Gravitational-Electromagnetic Equilibrium in Space and Time equals in Toroidal Coordinates $\{\theta, r, \varphi, t\}$ for the Magnetic Field Components $m(\theta, r, \varphi, t)$:

$$\begin{pmatrix} m_\theta \\ m_r \\ m_\varphi \end{pmatrix} = \sqrt{\frac{\epsilon_0}{\mu_0}} \begin{bmatrix} (0) \\ \left(\text{Csch}(r) f_1(\theta, r) \left(-(\text{Cosh}(r) - \text{Cos}(\theta))^{3/2} \right) f_{13}(\theta, r, \varphi, t) \right) \\ \left(\frac{\text{Csch}(r) (\text{Cosh}(r) - \text{Cos}(\theta))}{\sqrt{\text{Cos}(\theta) f_1(\theta, r)^2 - \text{Cosh}(r) f_1(\theta, r)^2 - g(r)}} \sqrt{K_1 - f_{13}(\theta, r, \varphi, t)^2} \right) \end{bmatrix} \quad (24)$$

The toroidal electromagnetic field configuration is in perfect equilibrium with itself and its surrounding in respectively the θ - and the φ - direction. There is a resulting electromagnetic outward bounding force density in the r -direction, $\vec{f}(\theta, r, \varphi, t)$ indicated as the outward bounding radiation pressure of the toroidal electromagnetic confinement.

$$\vec{f}(\theta, r, \varphi, t) = \begin{bmatrix} 0 \\ -\frac{\epsilon_0 K_i \text{Csch}^2(r) (\text{Cos}(\theta) - \text{Cosh}(r))^3 \left(4f_l(\theta, r) f_l^{(0,1)}(\theta, r) (\text{Cos}(\theta) - \text{Cosh}(r)) - g'(r) \right)}{2R} \\ 0 \end{bmatrix} \quad (25)$$

This resulting outward bounding radiation pressure has to be compensated by the inward bounding gravitational force density, to create the required equilibrium by [electromagnetic-gravitational interaction](#).

In a comparable way as in the example presented in spherical coordinates in (13) and (14), the electromagnetic mass-density from the energy density in the torus can be calculated. With these values the inward bounded gravitational radiation pressure can be derived. From the requirement that both force densities have to compensate each other, the Boundary Radius R_{BOUNDARY} for the toroidal confinement can be calculated.

8. Newton's second law for Confined Electromagnetic radiation

When Erwin Schrödinger published in 1926 the well-known Schrödinger wave equation with the characteristic spherical and elliptical wave solutions, he found a mathematical presentation for “De Broglie” or the Material Waves. When Bohr assigned these “De Broglie” waves as “Probability Waves”, he excluded “De Broglie” from any mass. The mass was for 100 % in the elementary particle itself and “De Broglie” waves without any mass described the probability of the position of this elementary particle. A complete non logical approach.

A fundamental logical approach is to assign the mass to “De Broglie” waves. And that is only possible when we “De Broglie” waves are just “Confined Single Harmonic Electromagnetic Waves” (confined light). For this reason the mass of confined electromagnetic radiation has to be calculated. It will be clear that it is impossible to assign mass to free electromagnetic radiation. Because it is impossible to accelerate free electromagnetic radiation and the concept of mass if based on the inertia of mass by Newton's second law. For this reason the inertia of “Confined Single Harmonic Electromagnetic Waves” (confined light) has to be calculated.

For the first step in this calculation an imaginary experiment has been used. Two 100 % reflecting mirrors B and A (both in the x-y plane and without any mass) are placed opposite each other at a distance Δx ([ref 29, page 7, figure 1](#)). A single harmonic electromagnetic wave has been confined between both mirrors. Between both mirrors a “Standing Electromagnetic Wave” appears which has been formed by two waves travelling in opposite directions along the z-axis.

The Poynting vector corresponding with the electromagnetic wave propagating along the z-axis in the + direction (positive direction of the z-axis) has been indicated as $\vec{S}^+ = \vec{E}^+ \times \vec{H}^+$ and the Poynting vector corresponding with the electromagnetic wave propagating along the z-axis in the - direction (opposite direction) has been indicated as $\vec{S}^- = \vec{E}^- \times \vec{H}^-$.

The system is at rest. The [radiation pressures](#), caused by the confined electromagnetic radiation, on both mirrors A and B are opposite and equal in magnitude:

$$P_A = \frac{2 S_A}{c} = \frac{2 S_B}{c} = P_B \quad (26)$$

Einstein has formulated this very well. “Velocities are always relative”. To calculate the radiation pressure on Mirror A, the velocities, only relative to Mirror A for the waves with the respective Poynting vectors $\vec{S}^+ = \vec{E}^+ \times \vec{H}^+$ and $\vec{S}^- = \vec{E}^- \times \vec{H}^-$ M, have to be calculated.

8.1.1 The radiation pressure on Mirror A, when Mirror A moves with a velocity v in the direction of the positive z-axis

When the system of “Two Mirrors B $\longleftrightarrow$ A” moves in the direction of the positive z-axis, Mirror A moves in the direction of the positive z-axis and the Poynting vector $\vec{S}^+ = \vec{E}^+ \times \vec{H}^+$ will decrease according the Lorentz transformation ([ref. 29, page 23, A-57](#)).

$$\vec{S}_v^+ = \vec{E}_v^+ \times \vec{H}_v^+ = \gamma^2 \left(1 - \frac{v}{c} \right)^2 (\vec{E}^+ \times \vec{H}^+) \quad (27)$$

When the system of “Two Mirrors B $\longleftrightarrow$ A” moves in the direction of the positive z-axis, Mirror A moves in the direction of the positive z-axis the Poynting vector $\vec{S}^- = \vec{E}^- \times \vec{H}^-$ will increase according the Lorentz transformation ([ref. 29, page 23, A-57](#)).

$$\vec{S}_v^- = \vec{E}_v^- \times \vec{H}_v^- = \gamma^2 \left(1 + \frac{v}{c} \right)^2 (\vec{E}^- \times \vec{H}^-) \quad (28)$$

The total [radiation pressure](#), caused by the confined electromagnetic radiation, on mirror A equals:

$$P_A = \frac{S_A^+ + S_A^-}{c} = \frac{\gamma^2 \left(\left(1 - \frac{v}{c} \right)^2 + \left(1 + \frac{v}{c} \right)^2 \right) (\vec{E}^+ \times \vec{H}^+)}{c} \quad (29)$$

8.1.2 The radiation pressure on Mirror B when Mirror B moves with a velocity v in the direction of the positive z-axis

When the system of “Two Mirrors B $\longleftrightarrow$ A” moves in the direction of the positive z-axis, Mirror B moves in the direction of the positive z-axis and the Poynting vector $\vec{S}^- = \vec{E}^- \times \vec{H}^-$ will increase according the Lorentz transformation ([ref. 29, page 23, A-57](#)).

$$\vec{S}_v^- = \vec{E}_v^- \times \vec{H}_v^- = \gamma^2 \left(1 + \frac{v}{c} \right)^2 (\vec{E}^+ \times \vec{H}^+) \quad (30)$$

When the system of “Two Mirrors B $\longleftrightarrow$ A” moves in the direction of the positive z-axis, Mirror A moves in the direction of the positive z-axis the Poynting vector $\vec{S}^+ = \vec{E}^+ \times \vec{H}^+$ will increase according the Lorentz transformation ([ref. 29, page 23, A-57](#)).

$$\vec{S}_v^+ = \vec{E}_v^+ \times \vec{H}_v^+ = \gamma^2 \left(1 - \frac{v}{c} \right)^2 (\vec{E}^+ \times \vec{H}^+) \quad (31)$$

The total [radiation pressure](#), caused by the confined electromagnetic radiation, on mirror B equals:

$$P_A = \frac{S_A^+ + S_A^-}{c} = \frac{\gamma^2 \left(\left(1 + \frac{v}{c} \right)^2 + \left(1 - \frac{v}{c} \right)^2 \right) (\vec{E}^+ \times \vec{H}^+)}{c} \quad (32)$$

P_A and P_B are still equal in magnitude and both in opposite direction and still cancel each other. The system fulfils Newton’s first law of motion.

When the system of “Two Mirrors B $\longleftrightarrow$ A” accelerates, the velocity increases with Δv in a time interval Δt . At time t the radiation pressures on mirror A and mirror B are presented in (29) and (32). At time $t + \Delta t$ the radiation pressures on Mirror A and Mirror B will different:

The [radiation pressure](#) at time $t + \Delta t$ caused by the confined electromagnetic radiation, on mirror A equals:

$$P_A = \frac{S_A^+ + S_A^-}{c} = \frac{\gamma^2 \left(\left(1 + \frac{(v)}{c} \right)^2 + \left(1 - \frac{(v + \Delta v)}{c} \right)^2 \right) (\vec{E}^+ \times \vec{H}^+)}{c} \quad (33)$$

Because the wave with Poynting vector $\vec{S}^+ = \vec{E}^+ \times \vec{H}^+$ has left Mirror B at “ t ” and during the time interval Δt the magnitude of $\vec{E}_t^+ = \left(1 + \frac{v}{c} \right) \vec{E}^+$ and $\vec{H}_t^+ = \left(1 + \frac{v}{c} \right) \vec{H}^+$ has not changed.

The [radiation pressure](#) at time $t + \Delta t$ caused by the confined electromagnetic radiation, on mirror B equals:

$$P_B = \frac{S_B^+ + S_B^-}{c} = \frac{\gamma^2 \left(\left(1 + \frac{(v + \Delta v)}{c} \right)^2 + \left(1 - \frac{(v)}{c} \right)^2 \right) (\vec{E}^+ \times \vec{H}^+)}{c} \quad (34)$$

Because the wave with Poynting vector $\vec{S}^- = \vec{E}^- \times \vec{H}^-$ has left Mirror A at “t” and during the time interval Δt the magnitude of $\vec{E}_t^- = \left(1 + \frac{v}{c} \right) \vec{E}^-$ and $\vec{H}_t^- = \left(1 + \frac{v}{c} \right) \vec{H}^-$ has not changed.

The radiation pressures on Mirror A and Mirror B do not counterbalance each other anymore and the resulting radiation pressure equals:

$$P_B - P_A = \frac{\gamma^2 (4 \Delta v) S}{c^2} \quad (35)$$

Equation (35) can be written as:

$$P_B - P_A = \frac{\gamma^2 (4 \Delta v) S}{c^2} = \frac{\gamma^2 \left(4 \frac{\Delta v}{\Delta t} \right) S \Delta t}{c^2} = \gamma^2 \frac{W}{c^2} a = \gamma^2 m a \quad (36)$$

In which the acceleration $a = \frac{\Delta v}{\Delta t}$ and the inertia $m = \frac{W}{c^2}$. At non relativistic velocities $\gamma = 1$ and (36) turns into the Newton's second law of motion. From (36) also Einstein's famous equation $W = m c^2$ follows. In (36) W is the total confined electromagnetic mass.

Now we can consider electromagnetic confinements without mirrors but electromagnetic confinements through electromagnetic gravitational interaction. By superposition and integration over arbitrary surfaces it is possible to prove that all confined electromagnetic radiation equals (36) and has electromagnetic mass and follow Newton's second law of motion.

Concluding Remarks

The example of Gravitational-Electromagnetic Interaction, presented in table 1 shows two types of confinement.

1. For values $0 < n < -1$, the Gravitational-Electromagnetic Confinement will be Gravitationally controlled (Table 1). This means that for values for $r > R_{\text{BOUNDARY}}$ the inward bounded Gravitational for will be larger than the outward bounded Electromagnetic Radiation pressure. Electromagnetic Radiation will be attracted by Gravity towards the confinement at the surface R_{BOUNDARY} . Because for values $r < R_{\text{BOUNDARY}}$ the outward bounded radiation pressure is higher than the inward bounded gravitational pressure, all the radiation will be forced to be confined at equilibrium just at the surface of the spherical sphere with radius R_{BOUNDARY} . The confinement can be considered as an Electromagnetic Black Hole.
2. For values $-1 < n < -\infty$, the Gravitational-Electromagnetic Confinement will be Electromagnetically controlled (Table 1). This means that for values for $r > R_{\text{BOUNDARY}}$ the inward bounded Gravitational for will be smaller than the outward bounded Electromagnetic Radiation pressure. Electromagnetic Radiation will be scattered by the Radiation Pressure away from the confinement at the surface R_{BOUNDARY} . Because for values $r < R_{\text{BOUNDARY}}$ the outward bounded radiation pressure is smaller than the inward bounded gravitational pressure, all the radiation will be confined within the sphere with radius R_{BOUNDARY} . The confinement can be considered as an Electromagnetic Particle.
3. For values $n = -1$, the inward bounded Gravitational pressure equals the outward bounded Electromagnetic Radiation pressure at any distance r . The calculated value for R_{BOUNDARY} becomes $R_{\text{BOUNDARY}} \rightarrow \infty$.

Because of the extremely high-energy densities within electromagnetic-gravitational confinements and the extremely small dimensions, the radiation pressure at small densities will be extremely high. For this reason, single harmonic (monochromatic) electromagnetic-gravitational confinements will behave like nondeformable particles in experiments.

Now the four Castles have fallen:

1). **The Castle of the Dice.** It follows from (36) that “Confined Single Harmonic Electromagnetic Waves” are far superior candidates for “De Broglie” waves because they carry the mass (electromagnetic mass) and probability waves do not carry mass at all.

Instead of the non-logical model of a zero mass probability wave describing the probability that the mass of an elementary particle is at a certain time at a certain place, it is only logical to define the mass division through the electromagnetic mass division of a “Confined Single Harmonic

Electromagnetic Wave” according equation (36). For that reason it has been concluded that “De Broglie” waves are not complex probability waves but are “Confined Single Harmonic Electromagnetic Waves” written in a complex way. (equation 13, [Ref.29](#)) like the example of a confined single harmonic electromagnetic wave in equation (13) in this manuscript.

2). **The Castle of Schrödinger.** The Schrödinger wave equation is nothing more than the Continuity Equation (equation 42, [Ref.29](#)) written in a complex way (equation 55, [Ref.29](#))

3). **The Castle of Dirac.** The relativistic Dirac Equation equation is nothing more than the Continuity Equation (equation 57, [Ref.29](#)) written in a complex way (equation 102, [Ref.29](#))

4). **The Castle of Maxwell.** The 4 Maxwell Equations are incomplete. The correct equation is equation (5) in this manuscript or (equation 3, [Ref 30](#))

Now the world is free to leave the gambling house and to stop playing dice with the devil. Instead of spending trillions of dollars to investigate non-existing elementary particles in extremely expensive high energy accelerators, the world has the possibility to spent trillions of dollars to create, to build and to improve “[drinking water systems](#)”, that change ocean water into drinking water, to turn the deserts into oases of green, into oases of fruit trees and vegetables. Instead of killing warzones, the whole Mideast could turn into an oasis of prosperity where everybody has enough to eat and these countries will have the possibilities to export fruit and vegetables. Turn whole Africa into an Oasis of green. You have the power and you can do it. Now the world will have the possibilities to spent trillions of dollars to build dikes to protect the people in the dangerous lowland that will come underwater when the ocean levels are rising. Science is given to mankind to serve the people and to make their lives better.

When we leave the spell of the dice we can return to the world of Light and the world of Love. We are Souls, created out of Love. We are Human Beings created out of Light. And our Heart carries the Doorway to Heaven.

The Doorway to Heaven can never be opened by the keys of violence, the keys of Arrogance, the keys of Greed or the keys of Hate. These keys only have the power to open the doorway to Hell.

Only the key of Love has the power to open the Doorway to Heaven. When we return back to the world of Love, Love will rule over the world. And the fruits of Love are the fruits of Paradise.

I have always loved the science. I always have loved the scientific world and those who gave their life for science. Because the path of science is always steep, hard and lonely. When I have hurt a scientist with my words, I do really apologize and I am very sorry. When I have damaged a scientific project because of my words I really am sorry and I deeply do apologize. But I cannot speak differently.

Science has always been meant to feed the hungry ones, to give water to the thirsty ones, to protect the weak ones. To save the innocent children because they are our future.

But you politicians, you have never understood why you came to earth. You came to earth to learn to love. But all what you have learned is how to collect power to feed your greed. You never gave, you only took. Soon your days will come that you will be physically dead. And then you will have the unpleasant experience that it is not over then. Life never ends. We are immortal. And then you will stand in front of the towers of light, the towers of love. Nobody can pass the towers of light, nobody can pass the towers of love, without the wings of love, the love you have given to the other. It is all about love. When you die, you can only take with you the love that you have given to the other. Without love, you will stand empty handed before the towers of light. And the wolves of darkness will approach you, because they know how weak you are.

We live in a world created out of light. And when we die we will go to a world created out of love. And the world of darkness is that part in the spiritual world where there is no love. It is the world of hate and there live the predators of hate. You do not want to be there. And for that only reason I say to you all. “Be selfish”. And love so that your life after death will be in a world of beauty surrounded by love and not by hate. “Be selfish and love”. So that the predators of hate will not rip your soul apart when you enter the spiritual world. “Be selfish and love your family” “Be selfish and love your neighbors”. “Be selfish and love your friends”. But most of all. “Be selfish and love your enemies”.

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